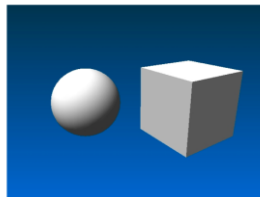
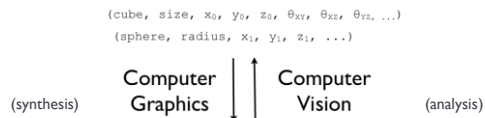


# Computer Vision for Computer Graphics

Mark Borg

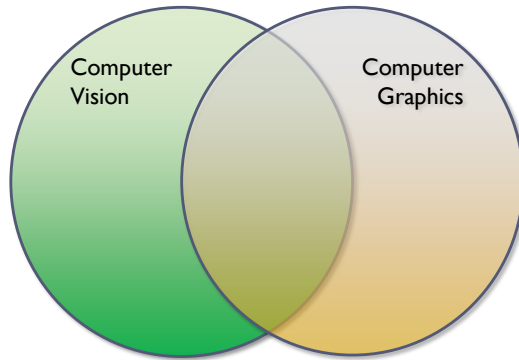
## Computer Vision & Computer Graphics I

- ▶ **Computer Vision**
  - ▶ Understanding the “content” of an image (normally by creating a “model” of the observed scene)
- ▶ **Computer Graphics**
  - ▶ Creating an image using a computer “model”



## Computer Vision & Computer Graphics II

- ▶ Recent confluence between computer vision (CV) and computer graphics (CG)



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## Outline

- ▶ We will look at the following CV areas:
  - ▶ Stereovision
    - ▶ Recovering depth information
    - ▶ Stereo correspondence problem
    - ▶ Multi-view imaging and the Plenoptic function
    - ▶ Applications to CG:
      - 3D Model Acquisition
      - View Morphing, “bullet time” effect
  - ▶ Automated Visual Surveillance
    - ▶ Motion Detection
    - ▶ Background Subtraction techniques
    - ▶ Object Tracking
    - ▶ Applications to CG:
      - Motion Capture
      - Basis for Behaviour Recognition in HCI interfaces, Project Natal

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## Stereo Vision

- ▶ “Stereo Vision” generally means two synchronised cameras or eyes capturing images
- ▶ Allows recovery of depth information / sensation of depth
- ▶ (stereo vision = stereoscopic vision = stereopsis)

## Parallax effect

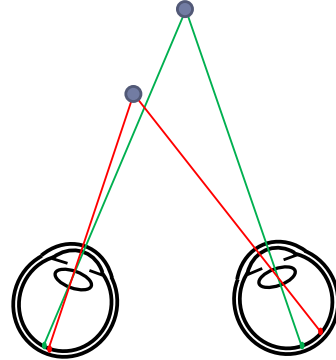
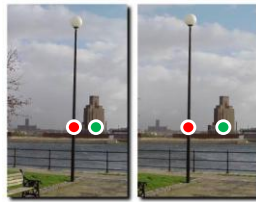
- ▶ Each eye has a slightly different view of the world



- ▶ Nearby objects have a larger *parallax* than more distant objects

## Depth from Binocular Disparity

- ▶ Binocular disparity:
  - ▶ The difference in image location of an object seen by the left and right eyes, resulting from the horizontal separation between the eyes.

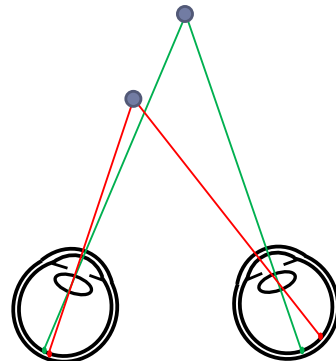
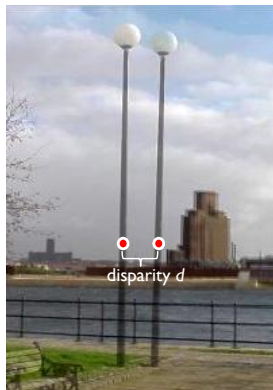


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## Depth from Binocular Disparity II

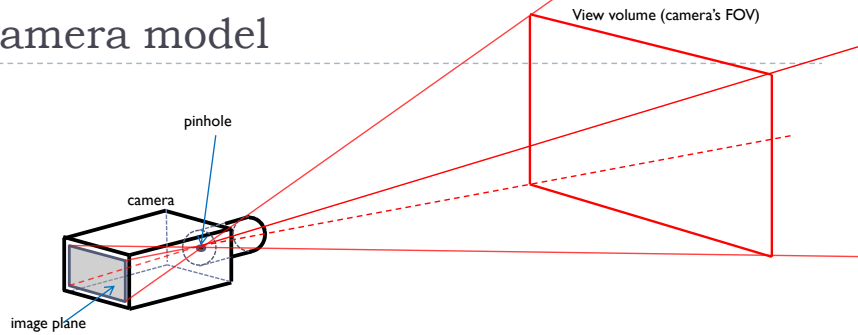
- ▶ Binocular disparity:
  - ▶ The difference in image location of an object seen by the left and right eyes, resulting from the horizontal separation between the eyes.



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## Camera model

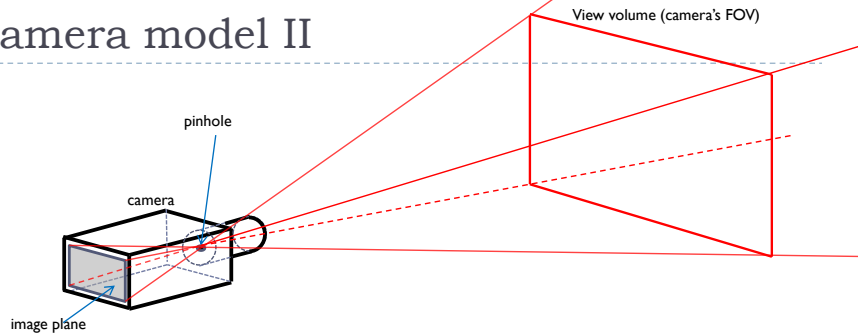


- ▶ **'Pinhole' camera model**
  - ▶ Simplified camera model; most often used in CV.
  - ▶ No lens; just a single very small aperture (infinitely small).
  - ▶ Models perspective projection.
  - ▶ Assumes all light rays pass through a single point (the 'pinhole').
  - ▶ Assumes the View Volume (camera's FOV) is an infinite pyramid.

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## Camera model II

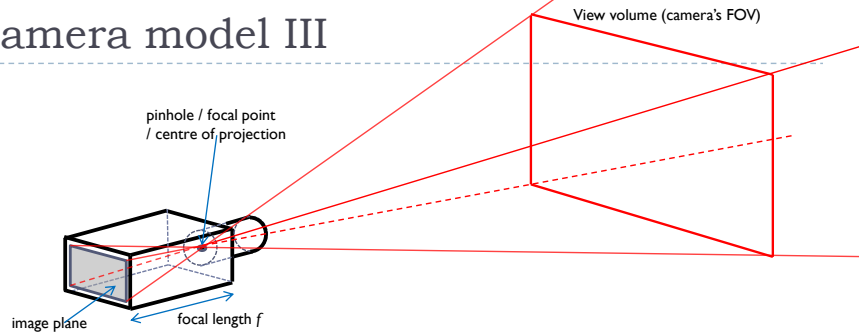


- ▶ **Limitations of the pinhole camera model:**
  - ▶ Depth-of-field effects and light attenuation ignored in this model.
  - ▶ View volume is not really infinite.

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## Camera model III



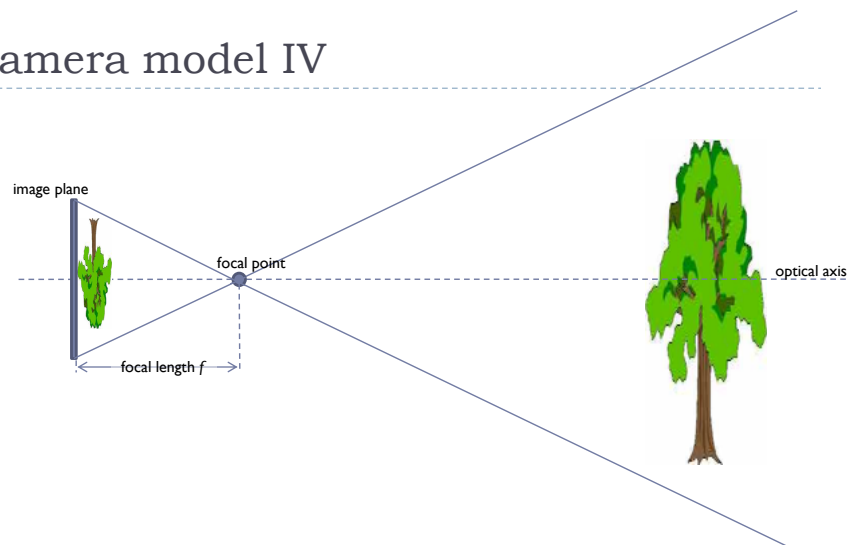
### ▶ Single Viewpoint Constraint

- ▶ Image plane is situated at a distance  $f$  (the *focal length*) from the pinhole.
- ▶ The pinhole is also called the *focal point*, or *centre of projection*, or *lens centre*.
- ▶ A camera with a single centre of projection is called a *central projection camera* (*central camera* for short) and obey the *single viewpoint constraint*.
- ▶ Such a camera 'sees' the world from a single point (has a single viewpoint).

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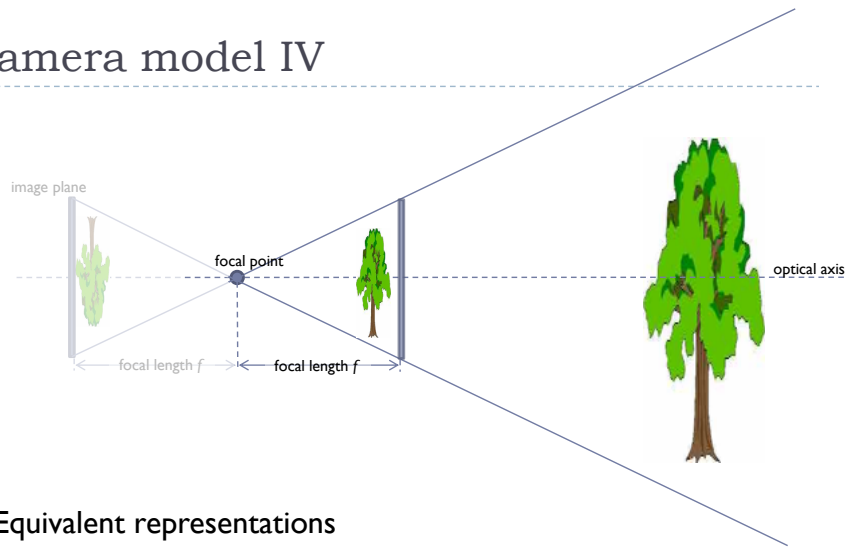
## Camera model IV



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## Camera model IV

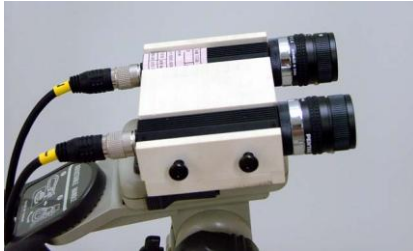


### ► Equivalent representations

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## Stereo vision cameras



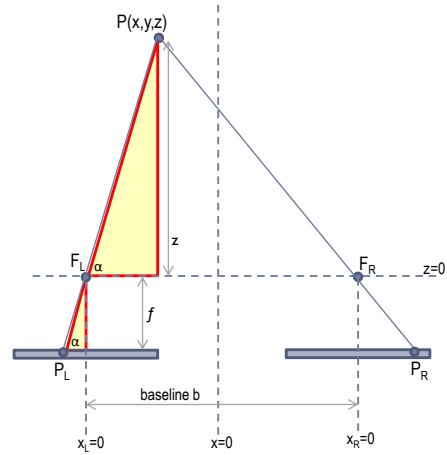
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## Depth from Binocular Disparity III

- ▶ Ratio of sides of similar triangles:

$$\frac{P_L}{f} = \frac{-\frac{1}{2}b + x}{Z}$$



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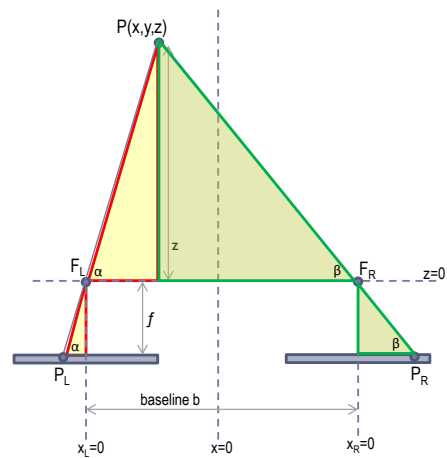
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## Depth from Binocular Disparity III

- ▶ Ratio of sides of similar triangles:

$$\frac{P_L}{f} = \frac{-\frac{1}{2}b + x}{Z}$$

$$\frac{P_R}{f} = \frac{\frac{1}{2}b + x}{Z}$$



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## Depth from Binocular Disparity III

- ▶ Ratio of sides of similar triangles:

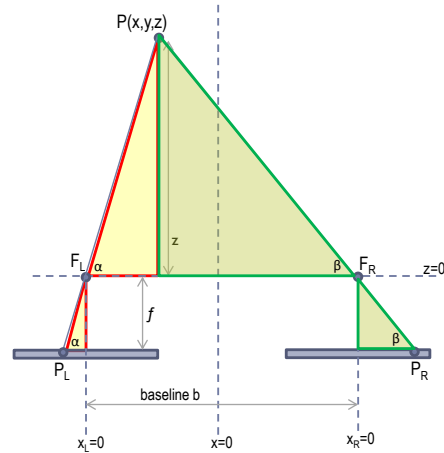
$$\frac{P_L}{f} = \frac{-\frac{1}{2}b + x}{Z}$$

$$\frac{P_R}{f} = \frac{\frac{1}{2}b + x}{Z}$$

$$z(P_R - P_L) = bf$$

$$Z = \frac{bf}{P_R - P_L}$$

where  $(P_R - P_L)$  is the disparity



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## Depth from Binocular Disparity IV

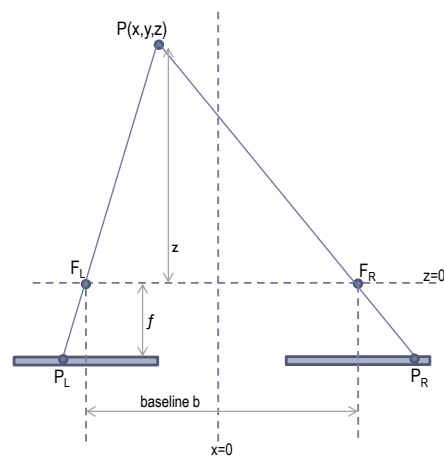
$$Z = \frac{bf}{P_R - P_L}$$

where  $(P_R - P_L)$  is the disparity

$$Z \propto \frac{1}{\text{disparity}}$$

- ▶ As disparity  $(P_R - P_L) \rightarrow 0$ , depth  $z \rightarrow \infty$

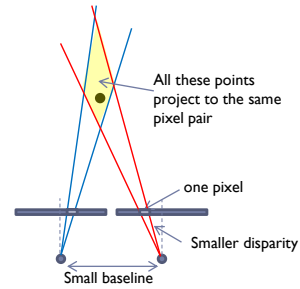
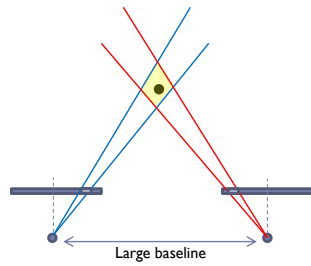
- ▶ In reality, depth resolution determined by minimum disparity



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## Choosing the stereo baseline

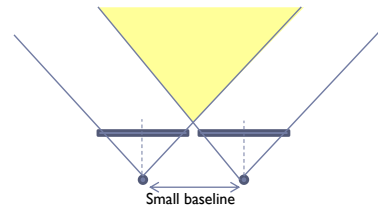
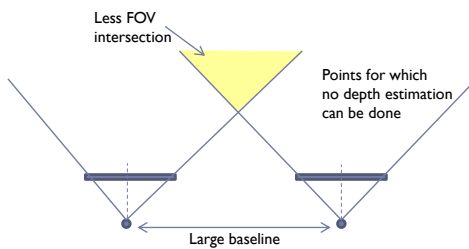


- ▶ What's the optimal baseline?
  - ▶ Small baseline:
    - ▶ Smaller disparities → larger depth error; limited depth range.

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## Choosing the stereo baseline



- ▶ What's the optimal baseline?
  - ▶ Small baseline:
    - ▶ Smaller disparities → larger depth error; limited depth range.
  - ▶ Large baseline:
    - ▶ Less FOV intersection → less scene points for which depth can be measured; more difficult search problem.
- ▶ Examples:
  - ▶ Human binocular vision: baseline = ~6cm; depth estimation = up to ~10m.
  - ▶ Stellar parallax estimation: baseline = Earth's orbital diameter; depth estimation = up to ~100 LY.

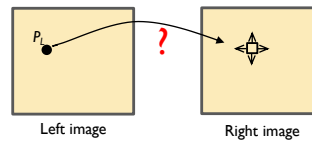
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## Correspondence Problem

### Basic stereo algorithm:

- ▶ For a pixel  $P_L$  in the left image
  - ▶ Find the matching pixel  $P_R$  in the right image
  - ▶ Compute the depth value  $z = \frac{bf}{\text{disparity}}$ , where  $\text{disparity} = (P_R - P_L)$

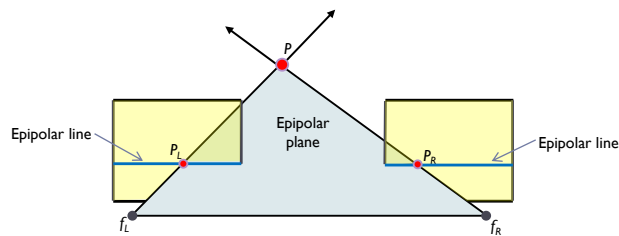


- ▶ Matching the points is a hard problem
- ▶ Called the (Stereo) Correspondence Problem
- ▶ Can reduce the search problem from 2D to 1D by using constraints from *epipolar geometry*

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## Epipolar Geometry



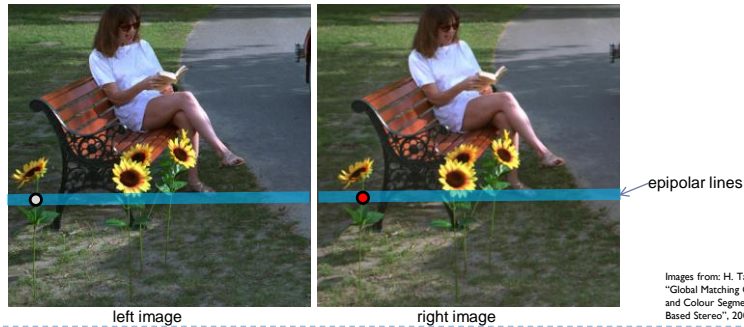
- ▶ **Epipolar plane**
  - ▶ Scene point  $P$  + image points  $P_L, P_R$  + camera focal points
- ▶ **Epipolar line**
  - ▶ Intersection of epipolar plane with image plane of the camera
- ▶ **Epipolar Constraint**
  - ▶ Given a point  $P_L$ , the corresponding point  $P_R$  will always occur along the *conjugate* epipolar line.
  - ▶ Reduces the search problem to a 1D search along conjugate epipolar lines.
  - ▶ For the camera configuration above, the conjugate epipolar lines correspond to the same image rows.

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## Basic Stereo Algorithm I

- ▶ For each epipolar line:
  - ▶ For each pixel  $P_L$  in the left image
    - Compare with every pixel on the same epipolar line in the right image
    - Pick the pixel  $P_R$  with the best match score/minimum cost.
  - ▶ Compute the depth value  $z = \frac{bf}{\text{disparity}}$ , where  $\text{disparity} = (P_R - P_L)$



Images from: H. Tao et al.,  
"Global Matching Criterion  
and Colour Segmentation  
Based Stereo", 2000.

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## Basic Stereo Algorithm II

- ▶ Matching of pixels:
  - ▶ A pixel must be quite distinct from its neighbours (else all neighbouring pixels will be good matches)
  - ▶ Therefore, must locate matchable features
- ▶ Examples:
  - ▶ Using edge information

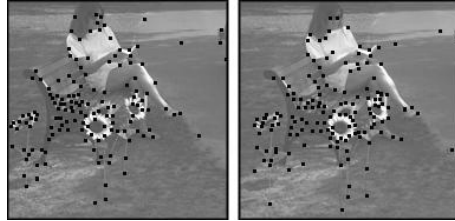


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## Basic Stereo Algorithm II

- ▶ **Matching of pixels:**
  - ▶ A pixel must be quite distinct from its neighbours (else all neighbouring pixels will be good matches)
  - ▶ Therefore, must locate matchable features
- ▶ **Examples:**
  - ▶ Using edge information
  - ▶ Using corner features
  - ▶ Using region correlation
- ▶ **End result:**
  - ▶ Normally a subset of pixels/features are selected for matching and depth computation.
  - ▶ Depth at other points can be estimated via interpolation techniques.



## Basic Stereo Algorithm III

- ▶ **3D point cloud**
  - ▶ Can be sparse or dense, depending on the features used for matching
  - ▶ Can be transformed into a surface model
    - ▶ Via depth or shape interpolation techniques
    - ▶ Mesh fitting
    - ▶ One common method: Dalaunay Triangulation

## Some Results I



left image

right image

depth map

Images from: H. Tao et al.,  
"Global Matching Criterion  
and Colour Segmentation  
Based Stereo", 2000.

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## Some Results II



depth map



rendered view

Note the 'holes' caused by scene occlusions. These scene points are hidden from both cameras.

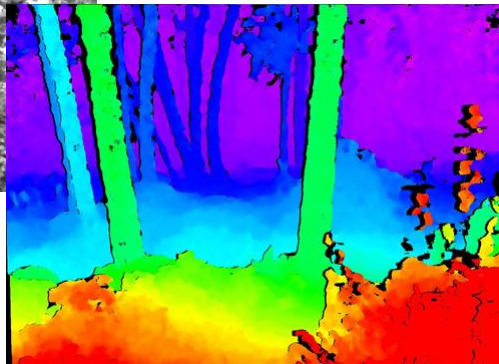
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## Some Results III



Disparity map



Stereo vision for robot navigation.  
Source: Jet Propulsion Laboratory, NASA.

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## Some Results III

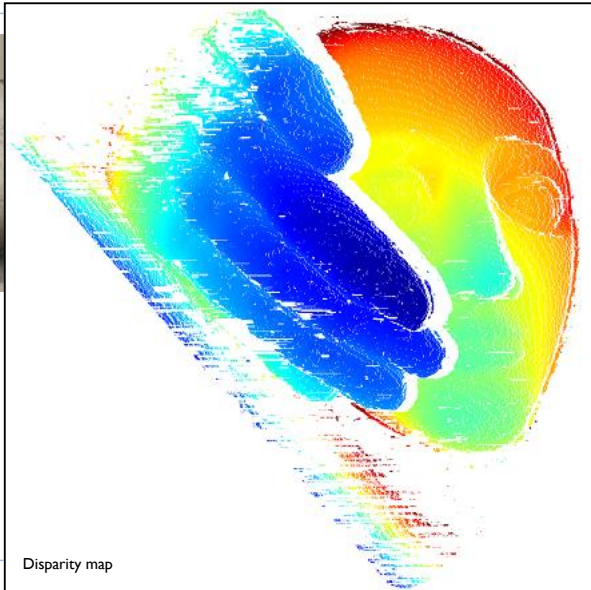


Source: Project IS-3D, Centre  
for Machine Perception, Czech  
Academy of Sciences, 2008.

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### Some Results III



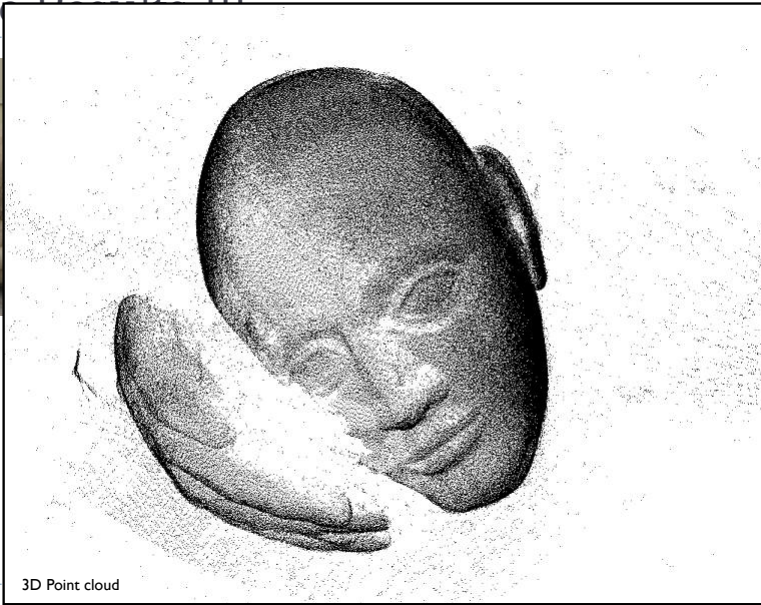
Source: Project IS-3D, Centre for Machine Perception, Czech Academy of Sciences, 2008.

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Disparity map

2010

### Some Results III



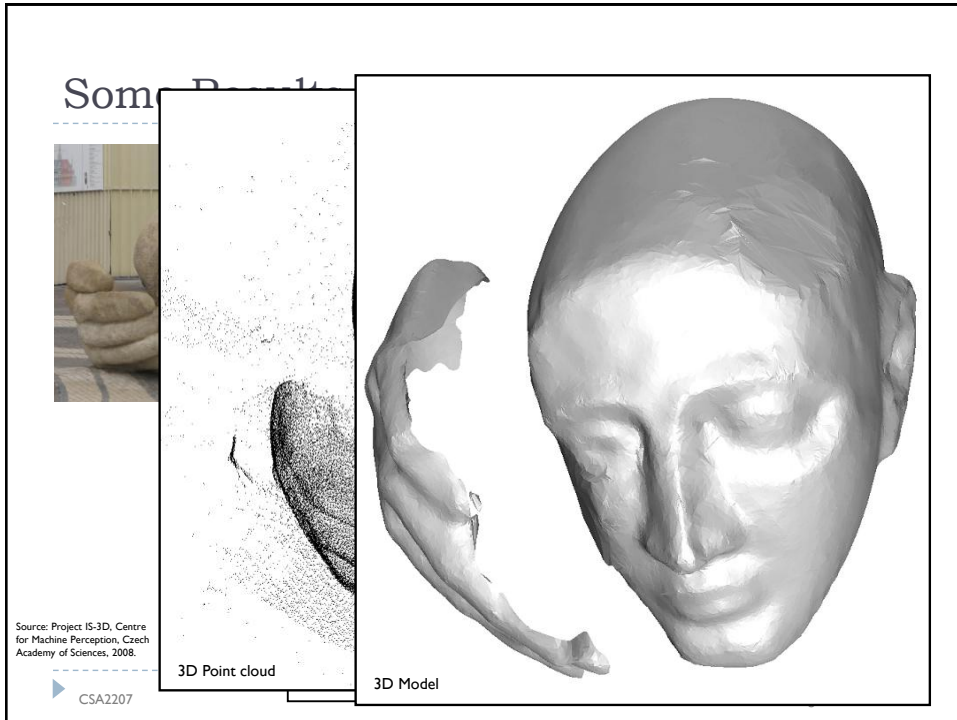
Source: Project IS-3D, Centre for Machine Perception, Czech Academy of Sciences, 2008.

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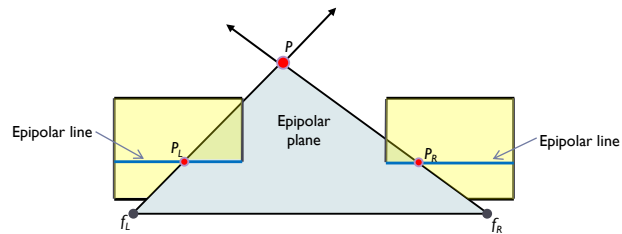
3D Point cloud

2010



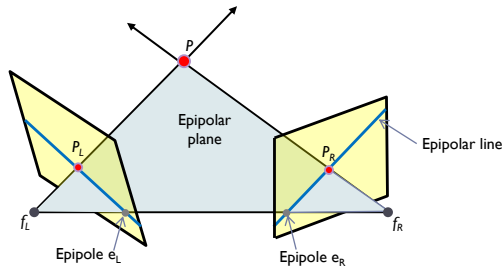


## Parallel camera configuration

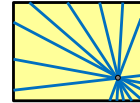


- ▶ Cameras oriented parallel to each other
- ▶ Conjugate epipolar lines map to the same image rows
- ▶ Requires precise positioning and orientation of the cameras
  - ▶ Difficult to achieve in practice

## Converging camera configuration I



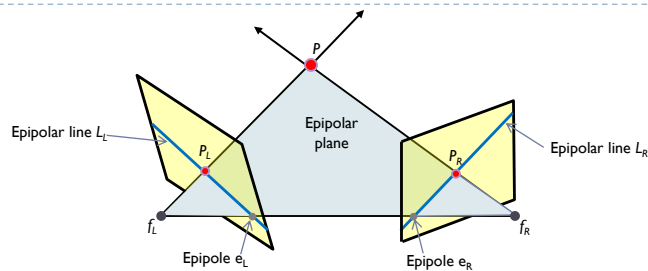
- ▶ Cameras no longer oriented parallel to each other.
- ▶ Conjugate epipolar lines no longer correspond to image rows and are not even parallel to each other.
- ▶ Each focal point projects onto a distinct point into the other camera's image plane
  - ▶ These are called the *epipoles* (or *epipolar points*)
  - ▶ All epipolar lines in an image must intersect the epipole.



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## Converging camera configuration II



- ▶ How can we find the epipolar lines since they are not parallel or image rows?
- ▶ Fundamental matrix  $F$ 
  - ▶ This is a 3x3 matrix that relates any point  $P_L$  with  $P_R$
- ▶ Epipolar Constraint can be expressed mathematically:

$$(P_L^T)F(P_R) = 0$$

- ▶ Also, multiplying the Fundamental matrix with a point gives the corresponding epipolar line in the other image:

$$F(P_L) = L_R \quad \text{and} \quad F^T(P_R) = L_L$$

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## Fundamental Matrix

- ▶ Given 2 corresponding image points  $p = (x, y)$  and  $p' = (x', y')$

- ▶ Epipolar constraint:  $[x' \ y' \ 1] \begin{bmatrix} F \\ 0 \end{bmatrix} \begin{bmatrix} x \\ y \\ 1 \end{bmatrix} = 0$

$$F = \begin{bmatrix} 0 & -e'_w & e'_y \\ e'_w & 0 & -e'_x \\ -e'_y & e'_x & 0 \end{bmatrix} \times P' P^+$$

where  $e' = [e'_x \ e'_y \ e'_w]$  is the epipole in the right image,  
 $P, P'$  are the camera projection matrices,  
 and  $P^+$  is the pseudo-inverse of matrix  $P$ .

- ▶ For the parallel camera configuration, the fundamental matrix  $F$  simplifies to:

$$\begin{bmatrix} 0 & 0 & 0 \\ 0 & 0 & -1 \\ 0 & 1 & 0 \end{bmatrix}$$

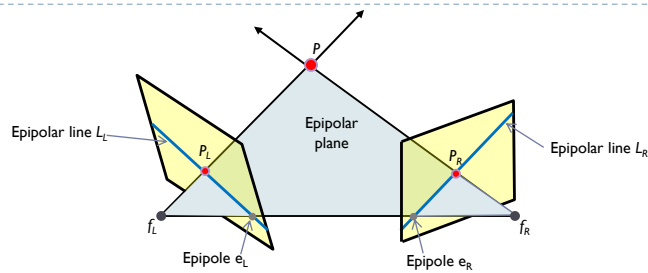
- ▶ Hence:  $[x' \ y' \ 1] \begin{bmatrix} 0 & 0 & 0 \\ 0 & 0 & -1 \\ 0 & 1 & 0 \end{bmatrix} \begin{bmatrix} x \\ y \\ 1 \end{bmatrix} = 0 \rightarrow y' = y$

and the epipoles are:  $e = e' = [1 \ 0 \ 0]$  (at infinity).

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## Converging camera configuration III



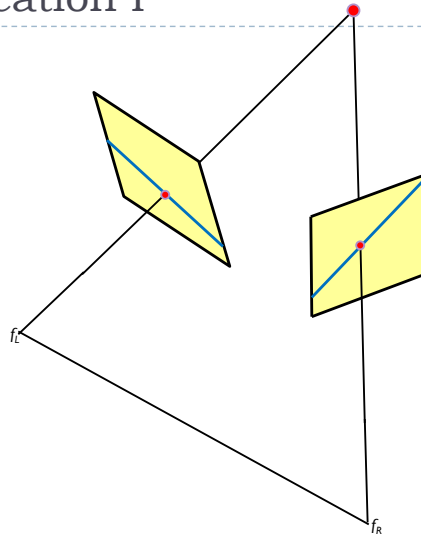
- ▶ **Advantage:**
  - ▶ No need for precise positioning and orientation of the cameras.
- ▶ **Disadvantage:**
  - ▶ Difficult to perform a search along epipolar lines during pixel matching.
- ▶ **Solution:**
  - ▶ Perform *stereo image rectification*.

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## Stereo Image Rectification I

- ▶ Rectification is the process of re-sampling the stereo images so that the epipolar lines correspond to image rows.

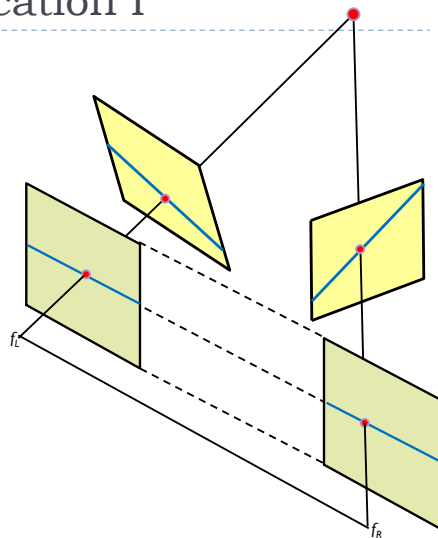


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## Stereo Image Rectification I

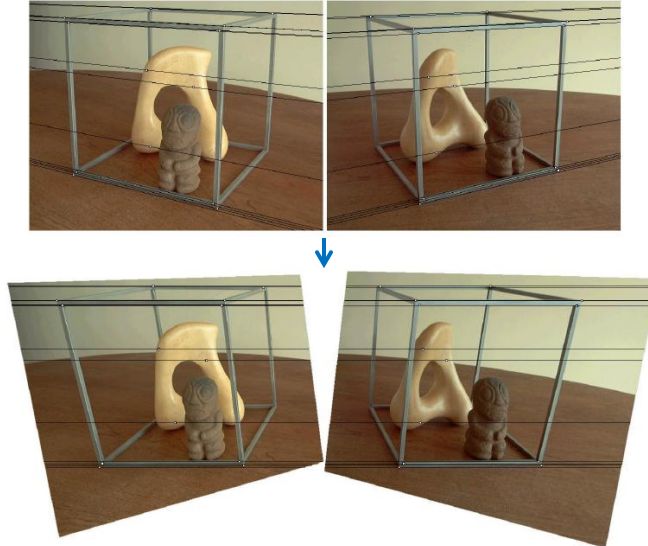
- ▶ Rectification is the process of re-sampling the stereo images so that the epipolar lines correspond to image rows.
- ▶ Images re-projected onto a common plane parallel to the line between focal points.



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## Stereo Image Rectification II



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## Some Results I



Source: M. Bujnak, Centre for Machine Perception, Czech Technical Univ.

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## Some Results I



Source: M. Bujnak, Centre for Machine Perception, Czech Technical Univ.

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## Some Results I

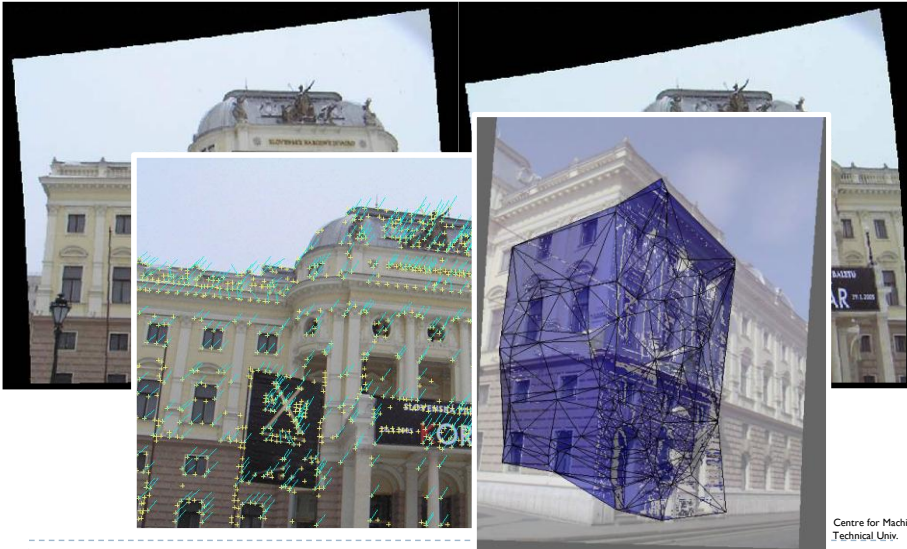


Source: M. Bujnak, Centre for Machine Perception, Czech Technical Univ.

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## Some Results I

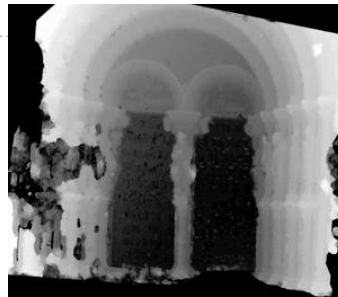
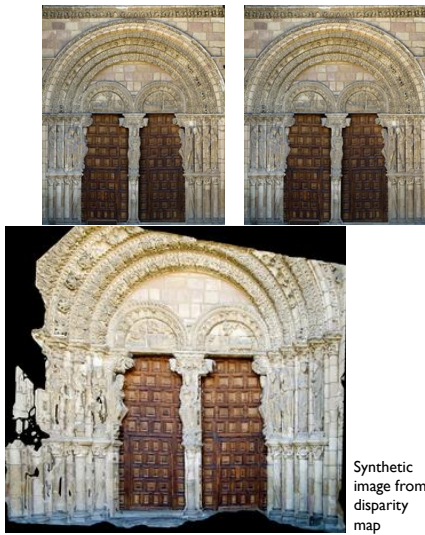


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Centre for Machine  
Technical Univ.

## Some Results II



Disparity  
map



3D disparity  
point cloud

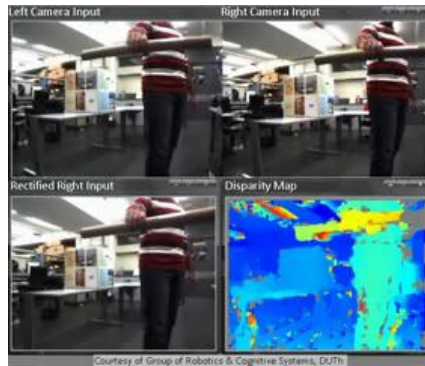
Synthetic  
image from  
disparity  
map

Source:  
[www.metria.es](http://www.metria.es)

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## Some Results III

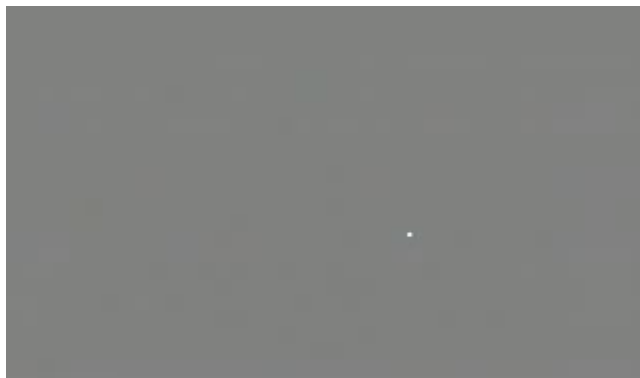


Source: Group of Robotics and Cognitive Systems,  
Democritus University of Thrace, Greece.

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## Some Results IV



Source: Marco Mengelkoch, Universitat Koblenz.

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## Depth from a single camera I

- ▶ What about this guy?



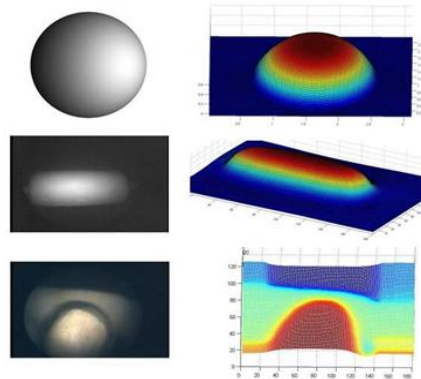
- ▶ Can we recover (some) depth information using only one sensor/camera?

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## Depth from a single camera II

- ▶ Human vision does not rely solely on binocular vision for depth estimation
- ▶ Other visual cues can be used for 3D
- ▶ In CV, "Shape from X" techniques:
  - ▶ Shading



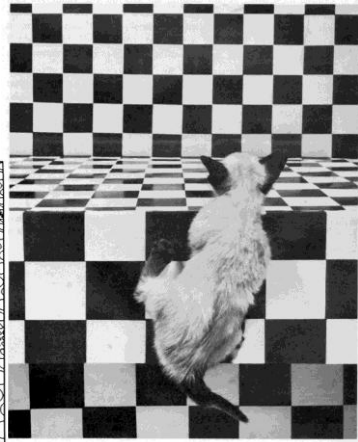
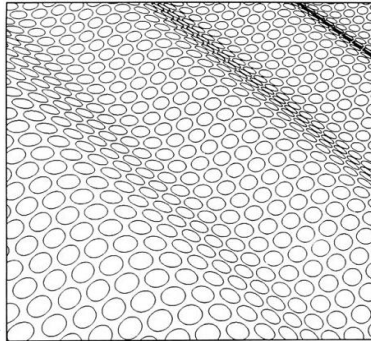
C. Wu et al., "Shape-from-Shading under Near Point Lighting and Partial views for Orthopaedic Endoscopy", 2007.

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## Depth from a single camera III

- ▶ Human vision does not rely solely on binocular vision for depth estimation
- ▶ Other visual cues can be used for 3D
- ▶ In CV, "Shape from X" techniques:
  - ▶ Shading
  - ▶ Texture



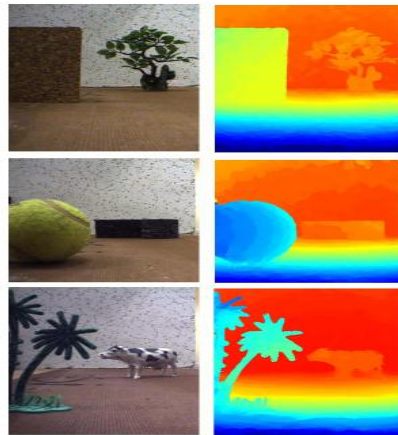
"The Visual Cliff", William Vandivert, 1960.

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## Depth from a single camera IV

- ▶ Human vision does not rely solely on binocular vision for depth estimation
- ▶ Other visual cues can be used for 3D
- ▶ In CV, "Shape from X" techniques:
  - ▶ Shading
  - ▶ Texture
  - ▶ Focus



T. Aydin et al. "A New Adaptive Focus Measure for Shape From Focus", 2008.

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## Depth from a single camera V

- ▶ Human vision does not rely solely on binocular vision for depth estimation
- ▶ Other visual cues can be used for 3D
- ▶ In CV, "Shape from X" techniques:
  - ▶ Shading
  - ▶ Texture
  - ▶ Focus
  - ▶ Motion
    - motion parallax
    - optical flow
  - ▶ & many others...



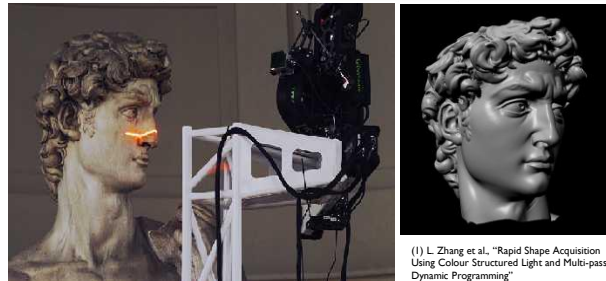
(1) T. Sato et al., "Reconstruction of 3-D Models of an Outdoor Scene from Multiple Image Sequences by Estimating Camera Motion Parameters". (2) K. Kutulbko, "A Theory of Shape by Space Carving".

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## Depth from a single camera VI

- ▶ Human vision does not rely solely on binocular vision for depth estimation
- ▶ Other visual cues can be used for 3D
- ▶ In CV, "Shape from X" techniques:
  - ▶ Shading
  - ▶ Texture
  - ▶ Focus
  - ▶ Motion
  - ▶ & many others...
- ▶ Structured light & laser scanning



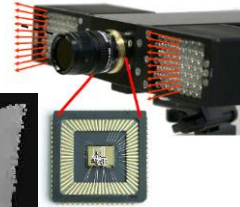
(1) L. Zhang et al., "Rapid Shape Acquisition Using Colour Structured Light and Multi-pass Dynamic Programming".  
(2) The Digital Michelangelo project, Stanford Univ.

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## Depth from a single camera VII

- ▶ Human vision does not rely solely on binocular vision for depth estimation
- ▶ Other visual cues can be used for 3D
- ▶ In CV, “Shape from X” techniques:
  - ▶ Shading
  - ▶ Texture
  - ▶ Focus
  - ▶ Motion
  - ▶ & many others...
- ▶ Structured light & laser scanning
- ▶ Time-of-flight cameras



PMDT Technologies, GmbH.

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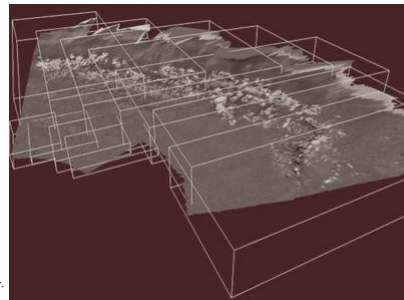
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## Multi-View Stereo

- ▶ Monocular depth estimation
- ▶ Stereo Vision systems
  - ▶ 2 camera systems (Binocular systems)
  - ▶ Can extend the same process and algorithms to:
    - ▶ 3 camera systems (Trinocular systems)
    - ▶ 4 camera systems and more...
  - ▶ Multi-View Stereo systems



Commercial 2- and 3-camera systems, PointGrey Inc.

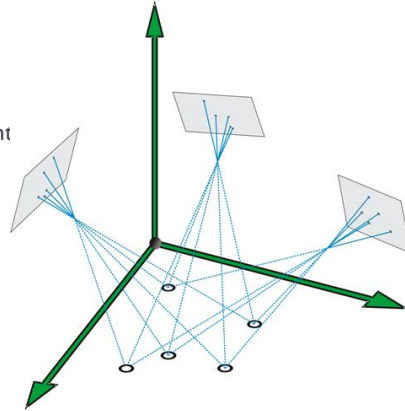
10 stereo reconstructions, MER Opportunity Rover.  
Source: ExoMars PanCam 3D Vision Team

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## Multi-View Stereo II

- ▶ Finding correspondences between adjacent rectified image pairs
- ▶ Pair-wise disparity estimation
- ▶ Fusing all the estimates into one 3D model
- ▶ *Bundle Adjustment* algorithm
  - ▶ Derived from the idea of “bundles” of light rays
  - ▶ Iteratively refining the 3D coordinates of the scene points (as well as the cameras’ parameters) by minimising the re-projection error between the image locations of the observed and predicted image points
  - ▶ Minimisation through the use of the Levenberg-Marquardt algorithm
- ▶ Triggs et al. “Bundle Adjustment – A Modern Synthesis”, 1999.



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## Example I

- ▶ Photosynth (<http://photosynth.net>)
- ▶ Extracts distinctive feature points in each image, matching these across the image set, and automatically reconstructs a partial 3D model of the scene and camera geometry.
- ▶ The sparse 3D model consists of a point cloud, line segments, and low-resolution “watercolour washes”.

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## Example I

- ▶ Photosynth (<http://photosynth.net>)
- ▶ Extracts distinctive features from photos and automatically reconstructs a 3D model
- ▶ The sparse 3D model is rendered as a “watercolour washes”



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## Example I

- ▶ Photosynth (<http://photosynth.net>)
- ▶ Extracts distinctive features from photos and automatically reconstructs a 3D model
- ▶ The sparse 3D model is rendered as a “watercolour washes”



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## Example I

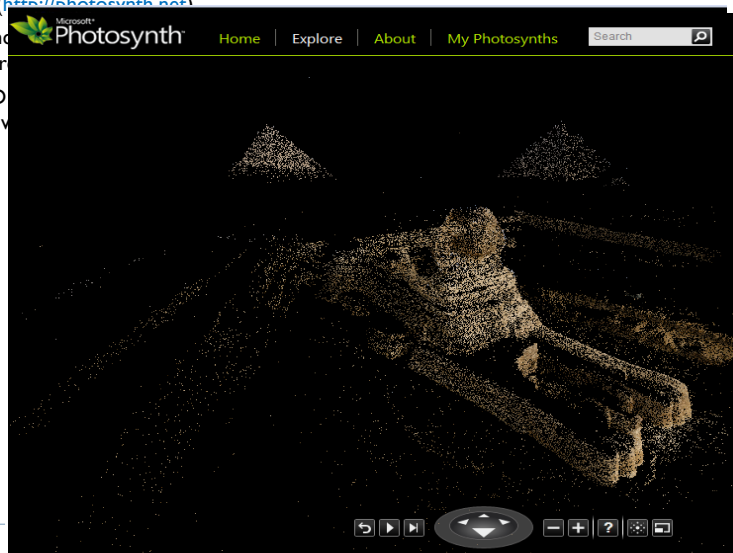
- ▶ Photosynth (<http://photosynth.net>)
- ▶ Extracts distinctive features automatically from the input image
- ▶ The sparse 3D point cloud is rendered as a “watercolour view”



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## Example I

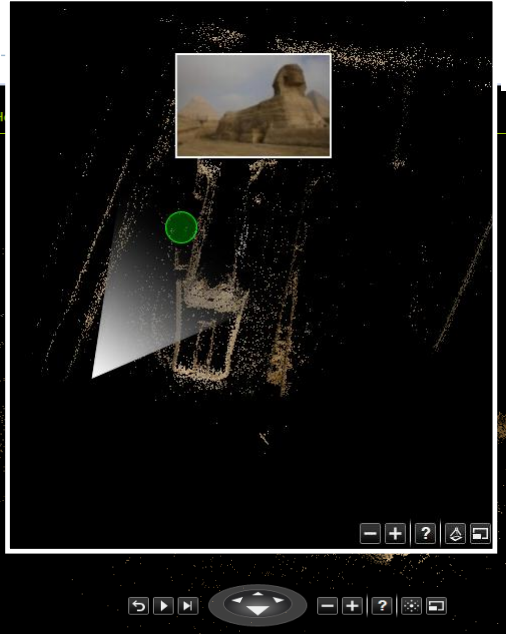
- ▶ Photosynth (<http://photosynth.net>)
- ▶ Extracts distinctive features automatically from the input image
- ▶ The sparse 3D point cloud is rendered as a “watercolour view”



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## Example I

- ▶ Photosynth (<http://photosynth.net>)
- ▶ Extracts distinctive features and automatically reconstructs a 3D scene
- ▶ The sparse 3D point cloud is rendered as a “watercolour view”



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## Example II

- ▶ Urban 3D modelling project using multi-camera systems (The University of North Carolina at Chapel Hill).
- ▶ Uses a 4-camera stereovision system mounted on a car
- ▶ Uses a multi-way plane sweeping stereovision algorithm



4-camera system

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## Example II

- ▶ Urban 3D modelling project using multi-camera systems (The University of North Carolina at Chapel Hill).
- ▶ Uses a 4-camera stereovision system mounted on a car
- ▶ Uses a multi-way plane sweeping stereovision algorithm



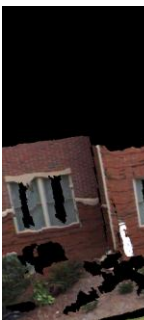
Reconstructed 3D view of part of a street

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## Example II

- ▶ Urban 3D modelling project using multi-camera systems (The University of North Carolina at Chapel Hill).
- ▶ Uses a 4-camera stereovision system mounted on a car
- ▶ Uses a multi-way plane sweeping stereovision algorithm



Reconstructed 3D view



View from above and details of 2 buildings

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## Example II

- ▶ Urban 3D modelling project using multi-camera systems (The University of North Carolina at Chapel Hill)
- ▶ Uses a 4-camera system
- ▶ Uses a multi-view geometry approach



Reconstructed 3D view



View from above and details of 2 buildings



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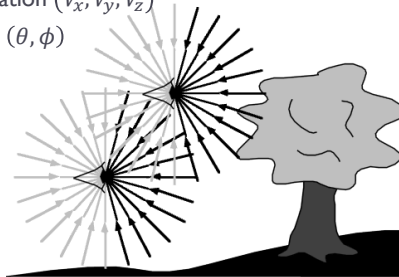
## The Plenoptic function I

- ▶ Plenoptic:
  - ▶ Plenus = complete/full + Optic = light
- ▶ 7-dimensional function:

$$P(\theta, \phi, V_x, V_y, V_z, t, \lambda)$$

- ▶ To measure the plenoptic function one can imagine:
  - ▶ Placing an imaginary eye at every possible location  $(V_x, V_y, V_z)$
  - ▶ Recording the intensity of light at every angle  $(\theta, \phi)$
  - ▶ For every wavelength  $\lambda$
  - ▶ At every time  $t$

- ▶ The Plenoptic function is an idealised concept of a “complete view of the world”



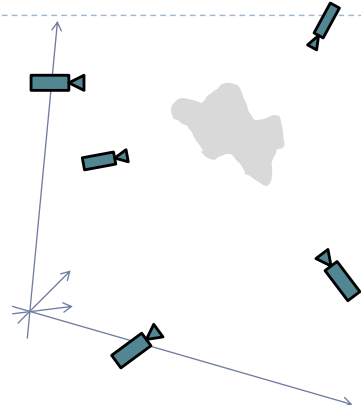
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## The Plenoptic function II

$$P(\theta, \phi, V_x, V_y, V_z, t, \lambda)$$

- ▶ We can only sample the plenoptic function at a finite number of points in space ( $N$ -camera system)
- ▶ What's the use of the plenoptic function?
  - ▶ Allows us to think about novel ways of sampling/navigating in this 7D space



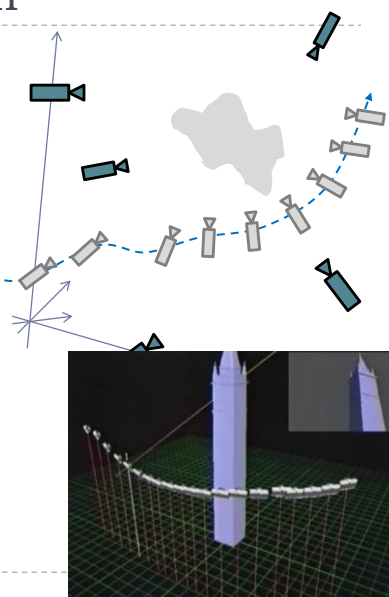
The diagram shows a 3D coordinate system with three axes. A grey, irregularly shaped object is positioned in the space. Several camera icons, represented as small rectangles with a lens and a viewfinder, are placed at various locations around the object, illustrating a multi-camera system sampling the scene.

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## The Plenoptic function II

$$P(\theta, \phi, V_x, V_y, V_z, t, \lambda)$$

- ▶ We can only sample the plenoptic function at a finite number of points in space ( $N$ -camera system)
- ▶ What's the use of the plenoptic function?
  - ▶ Allows us to think about novel ways of sampling/navigating in this 7D space
- ▶ Given images acquired from  $N$  cameras (sparse sampling),
  - ▶ can we observe the scene by moving freely in space?
    - ▶ i.e., create a virtual camera, let it move along some trajectory/manifold in space, thus creating a so-called *free-viewpoint video*



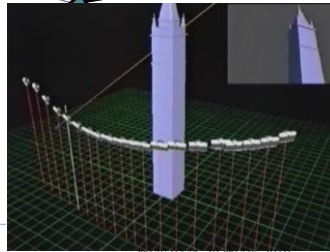
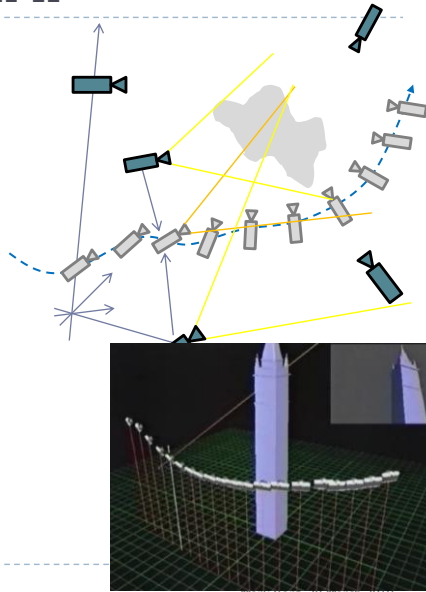
The diagram shows a 3D coordinate system with three axes. A grey, irregularly shaped object is positioned in the space. A dashed blue line represents a trajectory of virtual cameras, with several camera icons placed along it. An inset image in the bottom right shows a 3D scene with a grid floor and a tall, thin structure, with a series of camera icons moving along a curved path, illustrating the concept of a free-viewpoint video.

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## The Plenoptic function II

$$P(\theta, \phi, V_x, V_y, V_z, t, \lambda)$$

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    - ▶ i.e., create a virtual camera, let it move along some trajectory/manifold in space, thus creating a so-called *free-viewpoint video*?
      - Need to be able to synthesise new views



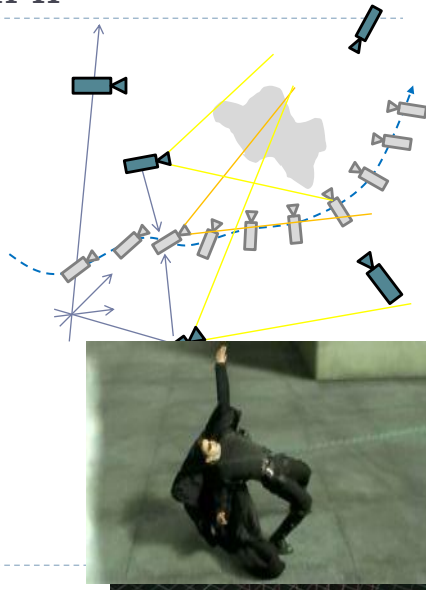
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      - Need to be able to synthesise new views
  - ▶ can we let the virtual camera move in space while freezing time?
    - ▶ i.e., create a so-called "bullet time" special effect?



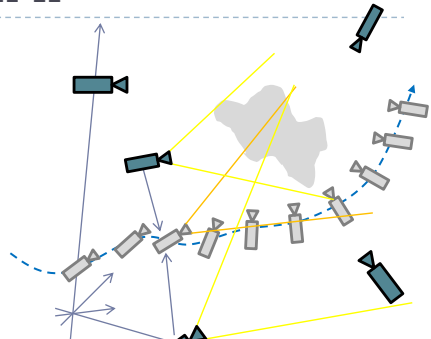
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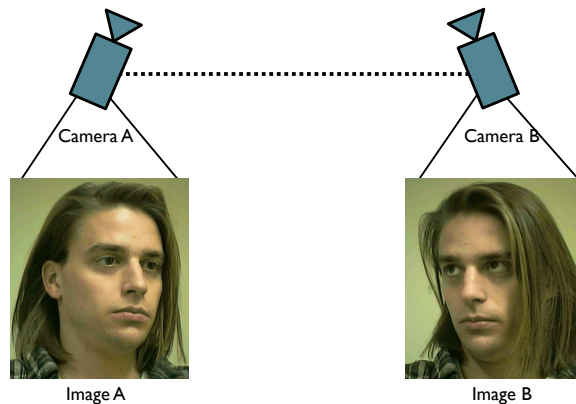


Note that we are not interested in rendering virtual views using 3D models here. But just using the acquired image data and measured pixel depth map.

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## View Morphing I



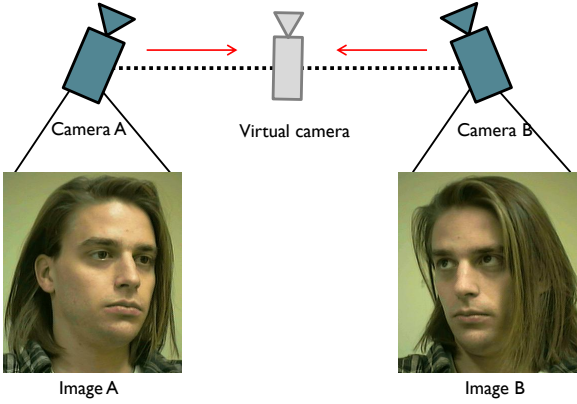
Source: S. Seitz, C. Dyer, 1996.

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## View Morphing I

- ▶ Virtual camera



The diagram illustrates the setup for view morphing. At the top, three camera icons are shown: Camera A on the left, a Virtual camera in the center, and Camera B on the right. Red arrows point from Camera A to the Virtual camera and from Camera B to the Virtual camera. Below each camera icon is a corresponding image: Image A (a portrait of a man from Camera A's perspective), Image B (a portrait of the same man from Camera B's perspective), and a central Virtual camera icon. A dashed line connects the two real cameras through the virtual camera.

Image A

Image B

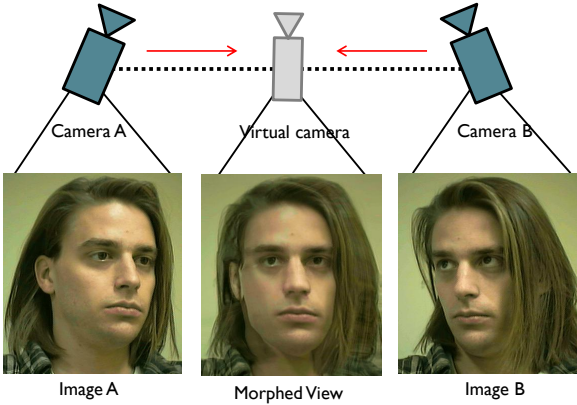
Source: S. Seitz, C. Dyer, 1996.

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## View Morphing I

- ▶ Virtual camera
- ▶ View morphing



This diagram is similar to the one above but includes a third image. It shows Camera A, the Virtual camera, and Camera B at the top. Below them are three images: Image A (from Camera A), a Morphed View (a smooth transition between the two views), and Image B (from Camera B). The Virtual camera icon is positioned between the two real cameras, with red arrows indicating its virtual position.

Image A

Morphed View

Image B

Source: S. Seitz, C. Dyer, 1996.

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## View Morphing I

- ▶ Virtual camera
- ▶ View morphing

Note that view morphing is not image morphing.  
Image morphing is not 3D shape preserving.

Image B

Source: S. Seitz, C. Dyer, 1996.

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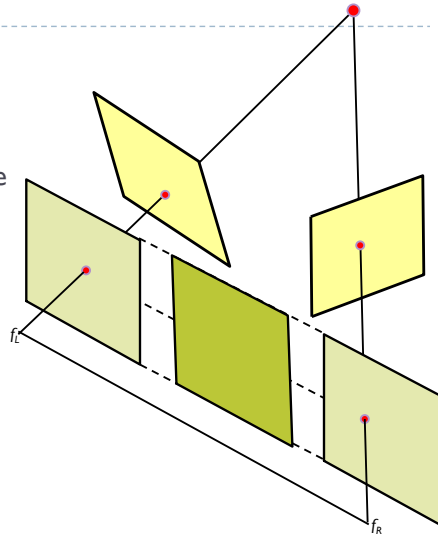
## View Morphing II

- ▶ Algorithm:
  - ▶ Stereo images are first rectified

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## View Morphing III

- ▶ **Algorithm:**
  - ▶ Stereo images are first rectified
  - ▶ Then a virtual camera is positioned in the common image plane
    - ▶ *View Morphing*

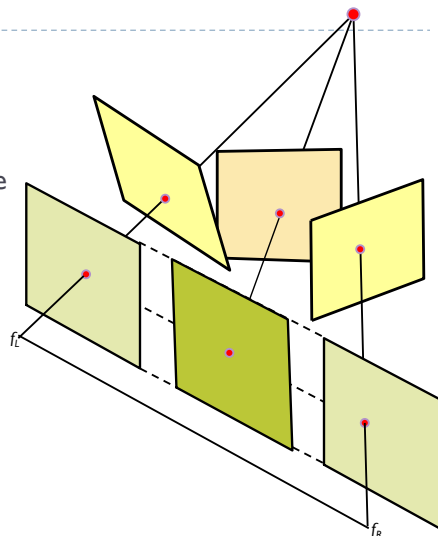


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## View Morphing IV

- ▶ **Algorithm:**
  - ▶ Stereo images are first rectified
  - ▶ Then a virtual camera is positioned in the common image plane
    - ▶ *View Morphing*
  - ▶ The camera is then moved and oriented as required



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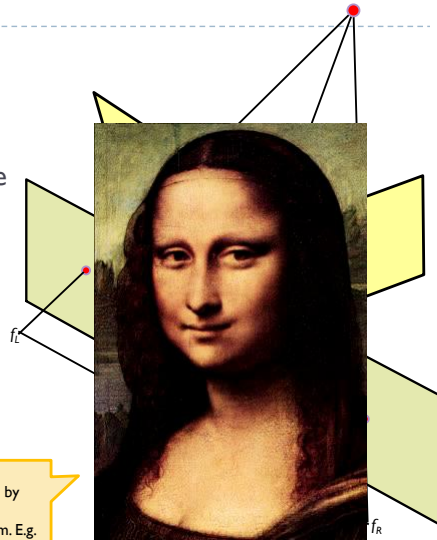
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## View Morphing IV

### Algorithm:

- ▶ Stereo images are first rectified
- ▶ Then a virtual camera is positioned in the common image plane
  - ▶ *View Morphing*
- ▶ The camera is then moved and oriented as required



Note that we can also 'acquire' multiple views of a single photo by operations like mirroring. Then perform view morphing on them. E.g. Mona Lisa sequence:

Source: S. Seitz, C. Dyer, 1996.

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## “Bullet Time” Effect



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# “Bullet Time” Effect



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# “Bullet Time” Effect



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## Some demos

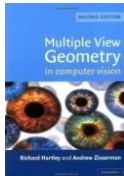
- ▶ The Campanile movie
  - ▶ Paul Debevac, Univ. of California, Berkeley, 1996.
  - ▶ <http://www.debevac.org/campanile>
- ▶ ProFORMA
  - ▶ Qi Pan, Univ. of Cambridge, 2009.
  - ▶ <http://mi.eng.cam.ac.uk/~qp202>

Paul Debevac, 1996.

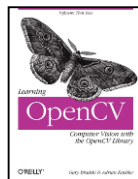
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## Further Information...



"Multiple View Geometry in Computer Vision", Richard Hartley, Andrew Zisserman, 2<sup>nd</sup> Ed., 2004.



Open Source Computer Vision Library

C++ library containing lots of CV algorithms, including stereo vision algorithms.

<http://sourceforge.net/projects/opencvlibrary/>



Microsoft  
**Research**

The MSRC Stereo Vision C# SDK

Microsoft Research in Cambridge

<http://research.microsoft.com/en-us/projects/i2i/default.aspx>

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